## Quantum Mysteries

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## Thought Experiment

1) Describe the experiment
2) Describe some of the data we might collect during this experiment

- Results from a particular set of measurements

3) Given these results, we'll infer what we would expect to see if we performed a different measurement

- Logical implication

4) Describe what happens when we perform this other measurement

- Was our inference correct?


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Bob
Psyc 101:

Intro Psyc $\quad$| Psyc 999: |
| :--- |
| Theory of Everyone |

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## The Situation

Alice

- Randomly chooses Phys 101 or 999
- 101
- Prof wears red or blue $\qquad$
- 999
- Prof wears green or yellow

Bob

- Randomly chooses Psyc 101 or 999
- 101
- Prof wears red or blue
- 999
- Prof wears green or yellow


## The Experiment

Every day Alice and Bob record which class they went to, and what color the Prof was wearing

| Day |  |  | Alice |  |  | Bob |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 101 | B | 101 | B |  |  |  |
| 2 | 999 | G | 999 | Y |  |  |  |
| 3 | 999 | G | 101 | B |  |  |  |
| 4 | 999 | Y | 101 | B |  |  |  |
| 5 | 101 | R | 999 | G |  |  |  |
| 6 | 101 | B | 101 | B |  |  |  |
| 7 | 999 | Y | 999 | Y |  |  |  |
| 8 | 101 | R | 101 | R |  |  |  |
| 9 | 999 | G | 101 | R |  |  |  |
| 10 | 999 | Y | 999 | G |  |  |  |


| Day |  |  |  | Alice |  |  | Bob |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 11 | 999 | G | 101 | B |  |  |  |  |
| 12 | 101 | B | 999 | Y |  |  |  |  |
| 13 | 999 | Y | 101 | B |  |  |  |  |
| 14 | 101 | R | 999 | G |  |  |  |  |
| 15 | 101 | R | 101 | B |  |  |  |  |
| 16 | 999 | G | 101 | R |  |  |  |  |
| 17 | 999 | Y | 999 | G |  |  |  |  |
| 18 | 101 | B | 101 | B |  |  |  |  |
| 19 | 101 | B | 999 | Y |  |  |  |  |
| 20 | 999 | G | 999 | Y |  |  |  |  |

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## Analyzing the data

On days where they both went to 101
They SOMETIMES see RR (9\% of 101-101 visits) $\qquad$

| Day | Alice |  | Bob |  |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 101 | B | 101 | B |
| 2 |  |  |  |  |
| 3 |  |  |  |  |
| 4 |  |  |  |  |
| 5 |  |  |  |  |
| 6 | 101 | B | 101 | B |
| 7 |  |  |  |  |
| 8 | 101 | R | 101 | R |
| 9 |  |  |  |  |
| 10 |  |  |  |  |


| Day | Alice |  | Bob |  |
| :---: | :---: | :---: | :---: | :---: |
| 11 |  |  |  |  |
| 12 |  |  |  |  |
| 13 |  |  |  |  |
| 14 |  |  |  |  |
| 15 | 101 | R | 101 | B |
| 16 |  |  |  |  |
| 17 |  |  |  |  |
| 18 | 101 | B | 101 | B |
| 19 |  |  |  |  |
| 20 |  |  |  |  |

## Analyzing the data

They SOMETIMES see RR (9\% of 101-101 visits)

1) Alice R, Bob R OK $\quad[P(R, R)=0.09]$


## Analyzing the data

On days where they went to different classes:
RY (or YR) NEVER occur

| Day | Alice |  | Bob |  |
| :---: | :---: | :---: | :---: | :---: |
| 1 |  |  |  |  |
| 2 |  |  |  |  |
| 3 | 999 | G | 101 | B |
| 4 | 999 | Y | 101 | B |
| 5 | 101 | R | 999 | G |
| 6 |  |  |  |  |
| 7 |  |  |  |  |
| 8 |  |  |  |  |
| 9 | 999 | G | 101 | R |
| 10 |  |  |  |  |


| Day |  |  | Alice |  |  | Bob |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 11 | 999 | G | 101 | B |  |  |  |
| 12 | 101 | B | 999 | Y |  |  |  |
| 13 | 999 | Y | 101 | B |  |  |  |
| 14 | 101 | R | 999 | G |  |  |  |
| 15 |  |  |  |  |  |  |  |
| 16 | 999 | G | 101 | R |  |  |  |
| 17 |  |  |  |  |  |  |  |
| 18 |  |  |  |  |  |  |  |
| 19 | 101 | B | 999 | Y |  |  |  |
| 20 |  |  |  |  |  |  |  |

## Analyzing the data

If one measures R, the other ALWAYS measures $G$

1) Alice $R$, Bob $R$ OK $\quad[P(R, R)=0.09]$
2) Alice $R \rightarrow$ Bob $G \quad[P(R, Y)=0]$
3) Bob $R \rightarrow$ Alice $G \quad[P(Y, R)=0]$

Clearly, the wardrobe choices of the faculty are NOT random.

## Inference

On days where Alice and Bob both go to 101 and measure RR

- We know that such days are possible

$$
\text { - 1) Alice R, Bob R OK } \quad[P(R, R)=0.09]
$$

If Bob changes his mind and goes to 999:

- He MUST measure G
- 2) Alice $R \rightarrow$ Bob G $[P(R, Y)=0]$

If Alice changes her mind and goes to 999:

- She MUST measure G

$$
\text { = 3) Bob } R \rightarrow \text { Alice G } \quad[P(Y, R)=0]
$$

Must be possible for Alice and Bob to measure GG

- $\mathrm{P}(\mathrm{G}, \mathrm{G}) \geq 0.09$


## Inference

Must be possible for Alice and Bob to measure GG - P(G,G)>0.09

## The Data

Alice and Bob NEVER measure GG

- $P(G, G)=0$ $\qquad$


## Explanation?

The faculty are playing with Alice and Bob's minds

- Somehow the faculty are communicating
" Cell phones?


## Student Revenge

Alice and Bob decide to eliminate the possibility of communication

- Both come to class 5 minutes late
- No time to change
- They choose and enter their classrooms at the exact same time
- Leave no time for the faculty to communicate
- Buy 2 atomic clocks to do this


## With these improvements

They measure:

1) Alice $R$, Bob $R$ OK $\quad[P(R, R)=0.09]$ $\qquad$
2) Alice $R \rightarrow$ Bob G $\quad[P(R, Y)=0]$
3) Bob $R \rightarrow$ Alice $G \quad[P(Y, R)=0]$ $\qquad$
Same as before, so again they infer:
$P(G, G) \geq 0.09$ $\qquad$
They measure:
P(G,G)=0 $\qquad$
The changes made absolutely no difference.

## What's going on?

Maybe I'm making up stories

- Half true

Do this experiment with real people

- Measure $P(G, G) \geq 0.09$

Do an equivalent experiment with microscopic particles (electrons, photons)

- Measure P(G,G)=0

People are macroscopic and obey the laws of classical physics
Photons are microscopic and obey the laws of quantum mechanics
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## What is the microscopic experiment?

Faculty $\rightarrow$ Photons
Alice and Bob $\rightarrow$ Detectors
Choice of 101 or $999 \rightarrow$ Choice of measurement
Color of faculty clothing $\rightarrow$ Polarization of photon
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## What's a Photon?

Great question. I wish I could answer it.
Photon is like a particle of light

- Only problem is that light is not made of particles, it's an electromagnetic wave
Light has both wave-like and particle-like properties
- Sometimes wave-like properties are more evident
- Sometimes particle-like properties are more evident

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## The Experiment

Faculty $\rightarrow$ Photons
Alice and Bob $\rightarrow$ Detectors
101 or $999 \rightarrow$ Polarizer Angle
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## The Experiment

Faculty $\rightarrow$ Photons
Alice and Bob $\rightarrow$ Detectors
101 or $999 \rightarrow$ Polarizer Angle
Clothing Color $\rightarrow$ Measured Polarization

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## The Results

Classical Physics: $P(G, G) \geq 0.09$
Quantum Mechanics: $P(G, G)=0$


## The Results

Classical Physics: $P(G, G) \geq 0.09$ Quantum Mechanics: $P(G, G)=0$

Winner is: Quantum Mechanics (By over 70 standard deviations)

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The Experiment


## The Experiment


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## Conclusions

For certain experiments classical physics and quantum mechanics yield very different predictions

- QM is counterintuitive

Can experimentally test validity of QM $\qquad$

- We've done it here at Whitman

These experiments are suitable for an undergraduate laboratory

- Working on getting them into our curriculum


## References

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